

# Experimental Study on Inclined Planetary Mechanism Drilling for Carbon Fiber Reinforced Plastic

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**Abstract** – The study deals with a proposal of a new drilling technique for CFRP. The authors have modified cutting mechanism principle of the orbital drilling, named inclined planetary drilling. Its axis of tool rotation spindle is not parallel to the axis of planetary revolution. The inclined angle is adjustable from 0 to 2 degrees. Because of tool rotation axis is inclined, penetration is not caused by outermost cutting edges but inner cutting edges. If penetration could be occurred, the inner cutting edges penetrate firstly, then the outermost edges enlarge drilled hole and these sequence can avoid generation of delaminations and burrs. The inclined planetary drilling has been demonstrated by the fundamental drilling experiment by use of a high-speed spindle unit and a lathe. And practical inclined planetary mechanism drilling system has developed. From the experimental result, capability of inclined planetary drilling has been realized and no burrs and delaminations are observed on the workpiece.

**Key Words:** CFRP, Planetary drilling, Inclined milling, Spindle

## 1. Introduction

Recently, CFRP (Carbon Fiber Reinforced Plastic) are widely used as structural material in aviation industries because of their advantages such as lightweight and high strength. However, those materials are mostly difficult to machine in conventional drilling techniques. The orbital drilling [1][2] has been realized as one of these solutions. The orbital drilling is similar to helical milling by machining center. In the case of the orbital drilling a cutting tool is settled on a tool rotation spindle eccentrically from a planetary revolution spindle and it rotates independently. The holes machined by the orbital drilling have higher roundness than holes machined by helical milling or conventional drilling.

The authors had established cutting model of the orbital drilling and clarified its machinability and proposed the cutting tools having particular cutting edge for CFRP drilling according to the past studies.[3-5] The orbital drilling has some drawbacks, e.g., delaminations of workpiece by its cutting principle and mechanical vibration.

In order to bring solutions to the orbital drilling technique, the authors have modified cutting mechanism principle of the orbital drilling which named as the inclined planetary drilling. Its axis of tool rotation is not parallel to the axis of planetary revolution. The inclined angle is adjustable from 0 to 2 degrees. In the case of the orbital drilling, the outermost cutting edges penetrate workpiece and the bottom layer is delaminated. On the other hand, in the case of the inclined planetary drilling, penetration is caused by the inner cutting edges not the outermost cutting edges because of inclined tool rotation axis. When penetration occurred, the inner cutting edges penetrate firstly then the outermost edges enlarge the drilled hole and the sequence can avoid generation of delaminations and burrs. In addition, inclined tool axis can reduce cutting force and mechanical vibration by its principle. Above-mentioned properties of the inclined planetary drilling have been demonstrated by the practical fundamental drilling experiment by use of a high-speed spindle unit and a lathe as imitating

inclined planetary motion. Furthermore, a novel spindle unit of inclined planetary mechanism drilling has been developed on the basis of the fundamental research results.

From the experimental result, capability of inclined planetary drilling has been realized and no burrs and delaminations are observed on the workpiece.

## 2. Cutting edge motion of planetary drilling

We focused on a bottom edge motion on a cutting tool of the orbital drilling which may inferentially affect machinability of CFRP drilling. A cutting edge on the bottom face is expressed as 2 position vectors summation as show in figure 1.

The velocity of a cutting edge on the bottom face depends on planetary revolution speed and tool rotation speed. Distribution of the velocity is not constant as shown in figure 2.

An angle between the line to tool center to planetary revolution center and the line to tool center to the point is named angular difference and it can be also a significant factor. Direction of tool rotation around planetary revolution center is CCW and direction of tool rotation speed on its center axis is CW.

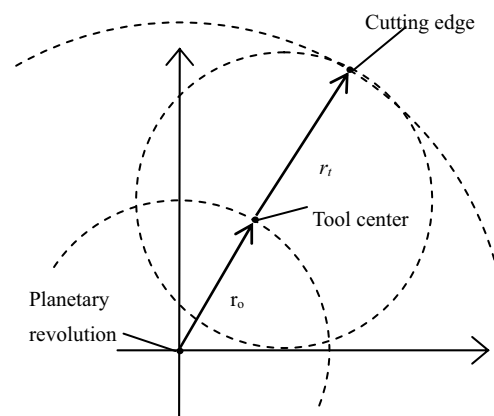


Fig. 1 Geometrical model of orbital drilling cutting edge

Velocity of the cutting edge by tool rotation ( $v_s$ ) is defined by the eq. (1) where  $r_t$  stands for tool radius and  $T_{ss}$  stands for tool rotation speed.

$$v_s = 2\pi T_{ss} r_t \quad (1)$$

Velocity of the point by planetary revolution speed ( $v_o$ ) is defined by the eq. (2) where  $r_o$  stands for eccentricity and  $O_s$  stands for planetary revolution speed.

$$v_o = 2\pi O_s r_o \quad (2)$$

From eq. (1) and (2), the velocity of cutting edge is calculated and the result is shown in figure 2. In the case of these parameters,  $O_s$  and  $r_o$  are larger than actual orbital drilling parameter in order to ensure the effect of orbital motion. Figure 2(c) shows the result in  $0^\circ$ .  $v_s$  and  $v_o$  cancel them each other when it is no angular difference. The zero velocity point on bottom face can appear continuously and moving around on the bottom cutting edge. Therefore it makes thrust loading larger.

In the case of conventional drilling, drilling resistance becomes larger at the centre of chisel point where the cutting edge speed theoretically being zero. Beside, the planetary revolution made direction of the cutting edge velocity reversed at a singular point of the bottom edge. The radius range where the singular point existing is defined as counter velocity radius ( $r_n$ ). The counter velocity radius might cause cutting resistance larger and negative effect to the machinability.

Counter velocity radius ( $r_n$ ) in planetary drilling is defined by planetary revolution speed ( $O_s$ ), eccentricity ( $r_o$ ) and tool rotation speed ( $T_{ss}$ ).

Tool cutting edge speed from planetary motion speed is defined by the eq. (3).

$$v_o = 2\pi O_s (r_t + r_o) \quad (3)$$

If  $v_o$  becomes equal to  $v_s$  in zero velocity point,

$$v_o = v_s \quad (4)$$

$$2\pi O_s (r_t + r_o) = 2\pi T_{ss} r_t \quad (5)$$

$$2\pi O_s r_n (1 + r_o / r_n) = 2\pi T_{ss} r_n \quad (6)$$

Consequently, the counter velocity radius of bottom edge in orbital drilling is defined by eq. (7).

$$r_n = r_o / (T_{ss} / O_s - 1) \quad (7)$$

The cutting edge can not machine effectively where the inner area of tool radius =  $r_n$  on the bottom surface of cutting tool. Thus machining with the zero cutting velocity point and the inner area of counter velocity radius should be avoided as far as possible in order to improve the machinability of the orbital drilling.

### 3. Inclined planetary drilling

The oblique cutting is generally known as one of machinability

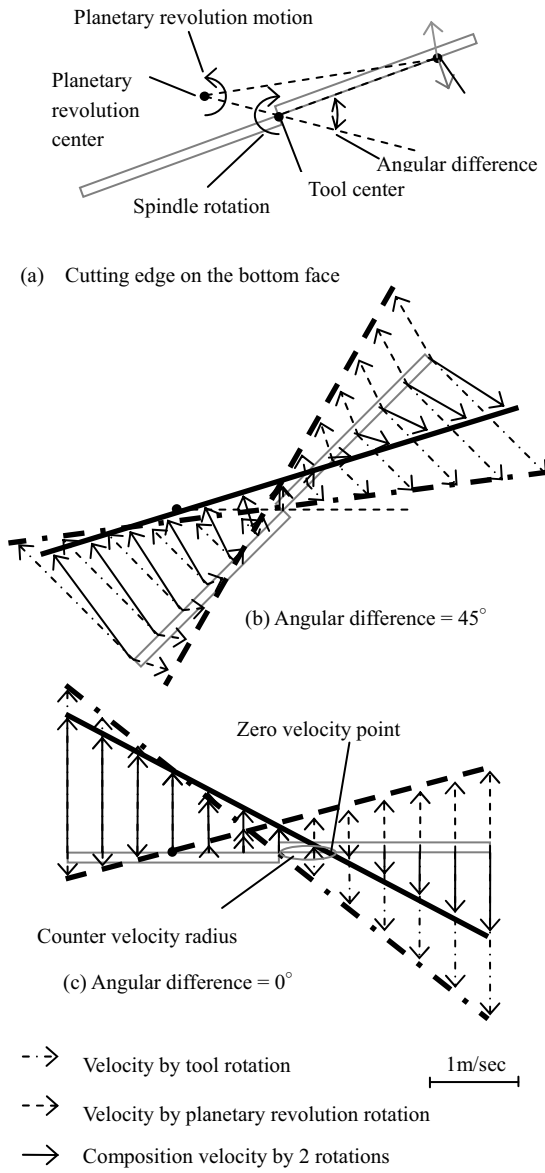
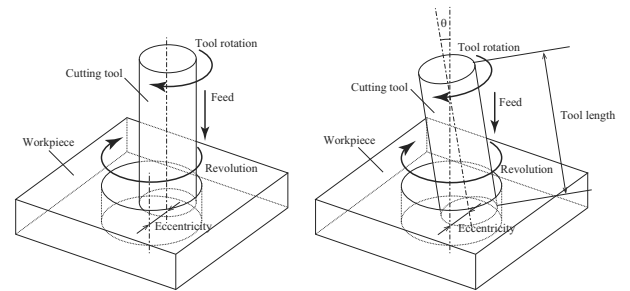


Fig. 2 Cutting edge velocity components



(a) Orbital drilling

(b) Inclined planetary drilling

Fig. 3 Schematic view of orbital and inclined planetary drilling

improvements of ball end-mill. Machining at the zero velocity point (tip of ball end-mill) is avoided by tilted tool rotational axis. We have adopted the same concept to the planetary drilling motion. Figure 3 shows differences between the orbital drilling model and our innovated inclined planetary drilling. In the case of the inclined planetary drilling, the tool rotational axis is inclined, in another words, the tool rotational axis is not parallel to the planetary revolution axis.

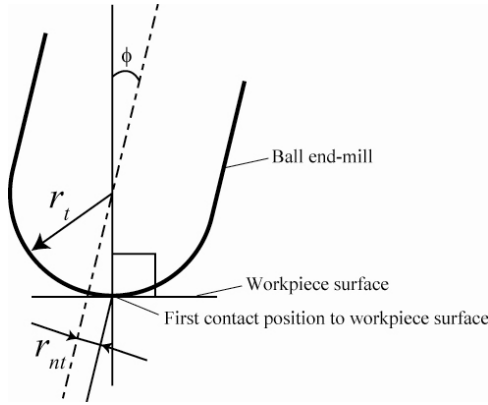


Fig.4 Oblique cutting with ball end-mill

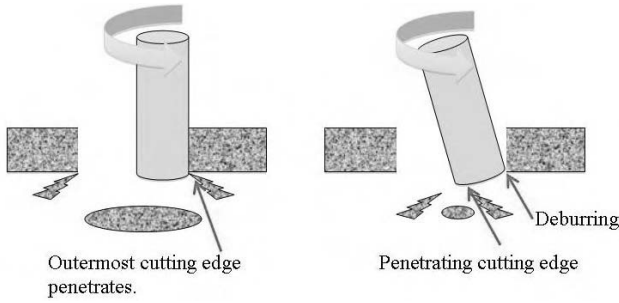


Fig.5 Generation of burrs and delaminations

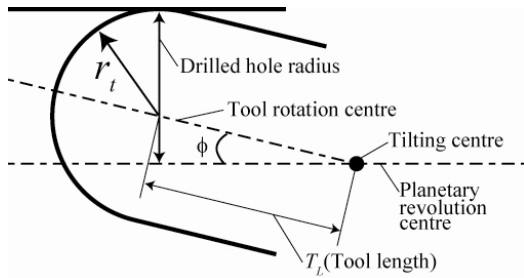


Fig.6 Geometrical model of inclined planetary drilling

The counter velocity radius is calculated by eq. (7) with drilling conditions which are  $r_o$ ,  $T_{ss}$  and  $O_s$ . For example; assuming practical drilling, counter velocity radius  $r_n = 0.02\text{mm}$  with the conditions of fundamental experimental result where  $r_o = 2$ ,  $T_{ss} = 30,000$ ,  $O_s = 300$ . Then, figure 4 shows model of oblique cutting with ball end-mill. Here, tilt angle is  $\phi$  and  $r_{nt}$  is radius of first contact position to a workpiece surface of a ball end-mill. Supposing practical inclined planetary drilling condition,  $\phi = 3$  and  $r_t = 3$ .  $r_n = 0.157\text{mm}$  and it is enough to avoid the counter velocity radius. The inclined planetary drilling can accordingly improve machinability in stead of the commercial orbital drilling technique.

The other inevitable problem of the orbital drilling is delaminations and burrs on the exit edge of drilled holes. By using of the orbital drilling, delaminating and burrs are generated in principle as shown in figure 5 left. In the case of the orbital drilling, the outermost cutting edge is the first penetration point of tool on backside of a workpiece. And thin layer of workpiece can be peeled off when penetrating and that causes delamination and burr on the edge. On the other hand in the case of inclined planetary drilling, the first penetration is not caused by the outermost cutting edge but inner cutting edge. If delaminating and burrs could be occurred when penetrating, the outermost cutting edge would make the drilled hole deburred as shown in figure 5 right.

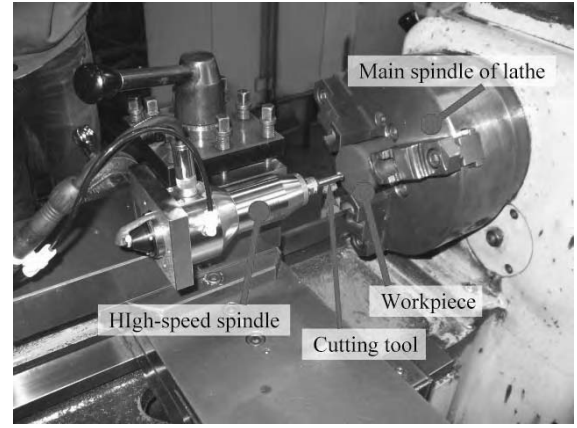


Fig.7 Whole view of experimental apparatuses

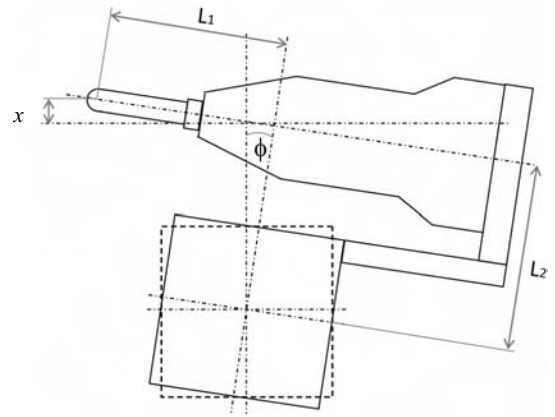


Fig.8 Geometry of drilling experimental instruments

The diameter of a drilled hole by inclined planetary drilling is defined by geometrical parameters of the tilted planetary drilling instrument configuration as shown in figure 6. Significant parameters are  $r_t$ ; tool radius,  $T_L$ ; tool length and  $\phi$ ; inclined angle. The diameter of a drilled hole ( $D$ ) is calculated by eq. (8). Especially this equation can be used restricted utilization for ball end-mills. Utilizing a ball end-mill does have control the diameter of the drilled hole simple.

$$D = 2(r_t + T_L \tan \phi) \quad (8)$$

#### 4. Experiment

In order to evaluate capability of the inclined planetary drilling, fundamental drilling experiments by using of a lathe and high-speed spindle unit have been carried out. Layout of the experimental apparatuses is shown in figure 7. A jig with a workpiece (CFRP) is fixed on the main spindle of a lathe and a high-speed spindle unit is attached to the tool post instead of turning tools. The tool post can adjust tilting angle against feed direction. In this case, the main spindle rotation of the lathe performs as the planetary revolution. Eccentricity  $x$  is calculated by eq. (9) as shown in figure 8.

$$x = L_2 \sin \theta - L_1(1 - \cos \theta) \quad (9)$$

CFRP (PAN-Based Carbon Fiber; Specific gravity: 1.5, Tensile strength: 1.6kN, Young's modulus: 120GPa, Glass transition point: 120°C) plates (50mm square, thickness: 5mm) are prepared as experimental workpieces. In this case, inclined angle is 2 degree as same as the eccentricity: 2mm. The experiment has been carried out

Table 2 Surface roughness of drilled holes

	$Ra$ [ $\mu\text{m}$ ]	$Rz$ [ $\mu\text{m}$ ]
Inclined planetary drilling	1.17	8.41
Planetary drilling	1.20	12.05

Table 3 Measured results of roundness

	Roundness [ $\mu\text{m}$ ]
Inclined planetary drilling	14.60
Planetary drilling	17.89

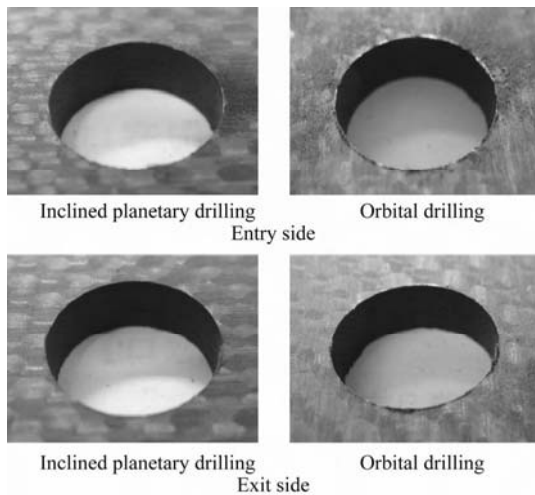


Fig.9 Appearance of drilled holes

under the conditions as shown in table 1. Especially, drilling feeding moved forward only.

A ball end-mill is logically decided as optimum cutting tools based on the geometrical cutting model of inclined planetary drilling.

In order to distinguish usability of the inclined planetary drilling technique from the orbital drilling, experiment for comparing inclined planetary drilling with orbital drilling is carried out. Drilling condition is as same as shown in table 1. The ball type cutting tool is selected for the experiment by use of the orbital technique.

## 5. Experimental results

First of all, drilled holes are inspected visually to find burrs and delaminations on the edge. Figure 9 shows the difference of drilled holes appearance by the orbital drilling and inclined planetary drilling. Smooth finishing is observed and there are no burrs and delaminations on the edge by the inclined planetary drilling. On the other hand, in the case of the orbital drilling, burrs are occurred around the hole on the both sides.

Surface roughness of drilled workpiece is measured by using of a surface roughness measurement instrument. Measured direction is parallel to the axis of the hole and surface roughness parameters are calculated by average of four measured parts of three times trial results. The measuring results indicate that the inclined planetary drilling can drill with smoothest surface from the point of view of surface roughness as shown in table 2. At least it is found that the inclined planetary drilling can drill with smoother surface roughness than by using of the orbital drilling.

Roundness of drilled hole is measured by using of roundness

Table 1 Experimental conditions

Cutting tool (Cemented carbide)	R=4mm, ball end-mill
Eccentricity (Inclined angle)	2 mm ( $2^\circ$ )
Planetary revolution speed	$560 \text{ min}^{-1}$
Tool rotation speed	$28000 \text{ min}^{-1}$
Feed rate	30 mm/min
Number of trial	3

measuring instrument. Roundness strongly depend on the surface roughness, in other words, the smoother surface roughness it have, the better roundness is obtained by using of same experimental instruments. Table 3 shows the measurement result of roundness. From the fundamental experimental result, the inclined planetary drilling having availability of smoother drilling than the orbital drilling is clarified.

## 6. Inclined planetary mechanism drilling system

The advantages of the inclined planetary mechanism drilling have been demonstrated through the experiment by use of a lathe. From the point of view of practical CFRP drilling factory e.g. aviation and aero-space industry, the size of workpieces to be drilled is much larger than the test specimens. Practical CFRP drilling equipments require following features;

1. The size is enough small and light to handle by human operators.
2. The drilling machine can drill the workpiece without another machine tool.
3. The drilling machine can attach to an industrial robot as an end-effector.

We have designed a new small size spindle unit for the inclined planetary drilling, which consists of a novel inclination mechanism. Figure 10 shows schematic views of the eccentric mechanism by inclination. The eccentric mechanism of the inclined planetary drilling system is multi-cylinder mechanism. Figure 10(a) and 2(b) shows the concentric state and eccentric inclined state, respectively. Frame  $a$  ( $X_a, Y_a, Z_a$ ) is Cartesian coordinate system with origin at the center of the outer cylinder. Frame  $b$  ( $X_b, Y_b, Z_b$ ) is Cartesian coordinate system with origin at the center of the inner cylinder. Frame  $b$  has inclined  $\phi$  as the  $Y_a$ -axis from frame  $a$ .

At this point, the tool tip position vector after eccentric is defined by the Eq. (10) where,  $l$  stands for length of the inner cylinder and  $t_i$  stands for tool length and  $\varepsilon$  stands for distance that the axis of rotation was mapped to the top end surface from the center of the inner cylinder and  $\theta$  stands for the rotation angle around the  $Z_b$  of frame  $b$ .

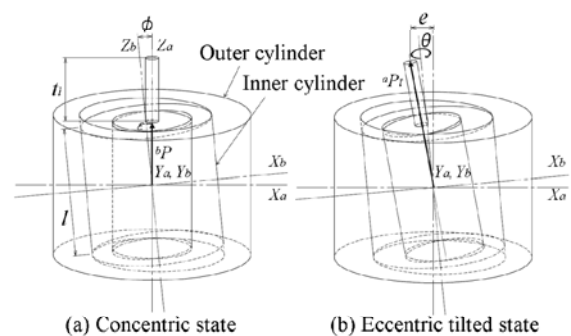


Fig. 10 Eccentric mechanism model

$${}^a P_t = \begin{pmatrix} \cos \phi & 0 & \sin \phi & 0 \\ 0 & 1 & 0 & 0 \\ -\sin \phi & 0 & \cos \phi & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \varepsilon \cos \theta \\ \varepsilon \sin \theta \\ \frac{l}{2} \\ 1 \end{pmatrix} \quad (10)$$

Therefore, the center position of the tool tip ( ${}^a P_t$ ) and the eccentricity ( $e$ ) are as follows:

$${}^a P_t = \begin{pmatrix} (1 + \cos \theta) \left( \frac{l + 2t_l}{2} \right) \sin \phi \\ \left( \frac{l + 2t_l}{2} \right) \tan \phi \sin \theta \\ (\cos \phi - \sin \phi \tan \phi \cos \theta) \left( \frac{l + 2t_l}{2} \right) \end{pmatrix} \quad (11)$$

$$e = \sqrt{\left\{ (1 + \cos \theta) \left( \frac{l + 2t_l}{2} \right) \sin \phi \right\}^2 + \left\{ \left( \frac{l + 2t_l}{2} \right) \tan \phi \sin \theta \right\}^2} \quad (12)$$

Figure 11 shows the 3D model on CAD, and figure 12 shows the calculation result of the eccentricity where,  $l$  is 150 mm and  $t_l$  is 50 mm. In addition, the acceleration was simulated by use of the 3D model (figure 11) where, revolution speed is 200 /min and  $e$  is 3 mm.

The eccentricity which  $\phi$  is 3 degrees confirmed to increase linear in the range of 0-35 degrees and, the acceleration is 3.8 mm/s<sup>2</sup>. When  $\phi$  is 2 degrees, the necessary range of  $\theta$  is increase and linearity is lost. In other words, the eccentricity can be obtained while keeping small  $d$  more when  $\phi$  is 3 degrees. Also, the acceleration is 3.1 mm/s<sup>2</sup> which  $\phi$  is 2 degrees. There was not a significant difference. Therefore, we are considered as desirable that  $\phi$  is 3 degrees.

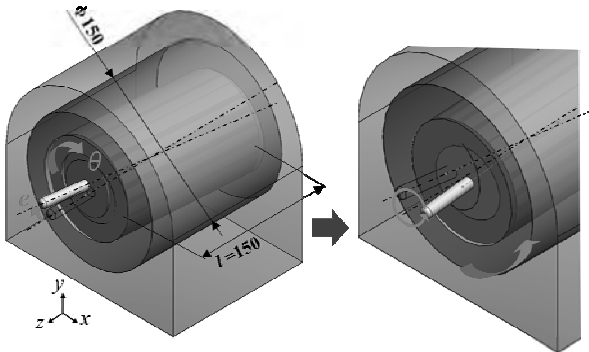


Fig. 11. 3D model of the eccentric mechanism

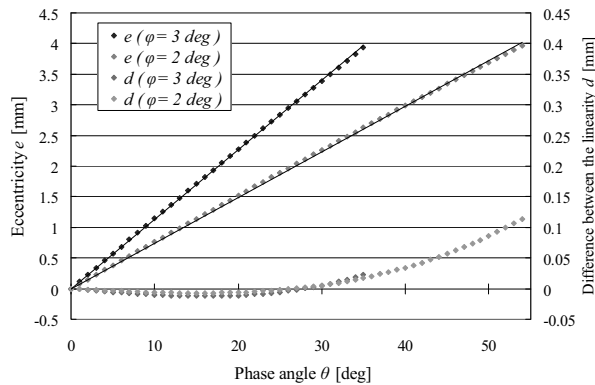


Fig. 12. Calculation result of the eccentricity

Table 4 Specification of developed system

Max tool rotation frequency	60,000 min <sup>-1</sup>
Max revolution frequency	600 min <sup>-1</sup>
Max eccentricity (Inclined angle)	4 mm (4°)
Size	175mm x 125mm x 188mm
Weight	7,5 kg

Table 5 Experimental conditions

Cutting tool (Cemented carbide)	R=3mm, ball end-mill
Eccentricity (Inclined angle)	1, 2 mm (1°, 2°)
Planetary revolution speed	250 min <sup>-1</sup>
Tool rotation speed	28000 min <sup>-1</sup>
Feed rate	60 mm/min
Number of trial	3
Workpiece material	UDT800, UDT700, UD Pitch, 3k Cross, 12k Corss

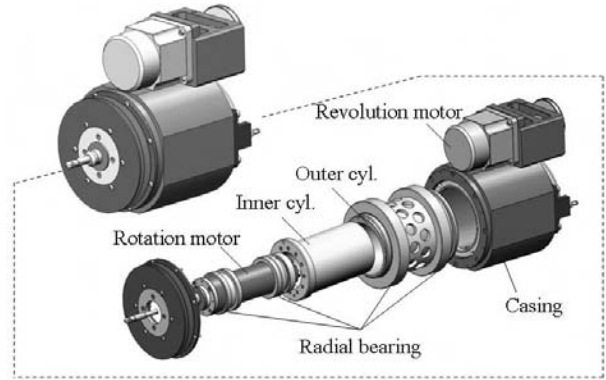


Fig. 13 Configuration of the inclined planetary mechanism unit

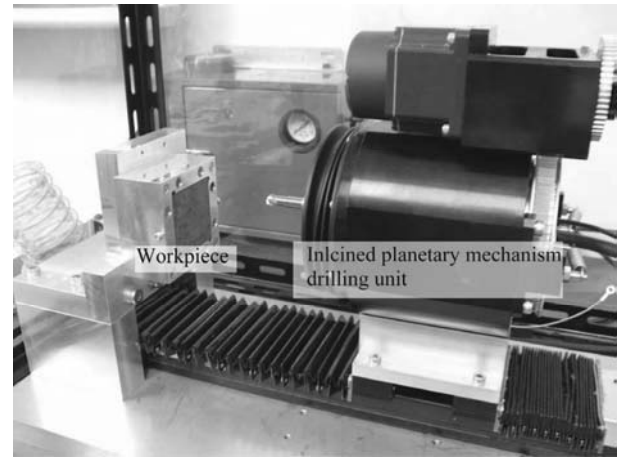


Fig. 14 Whole view of the developed system

On the basis of vibration simulation result, the configuration of the inclined planetary mechanism drilling unit is designed on 3D CAD as shown in figure 13 and the developed apparatus is shown in figure 14. Table 4 shows the specification of the developed inclined planetary mechanism drilling system. Maximum drilling ability of the system is 16mm in diameter and 15mm in depth. Material of the workpiece is limited for CFRP due to the rotation motor power limit.

In order to evaluate the performance of the developed system, drilling experiment has been carried out. 5 kinds of CFRP plates

Table 6 Measurement results of surface roughness

	Material	$Ra$ [ $\mu\text{m}$ ]	$Rz$ [ $\mu\text{m}$ ]
Eccentricity : 1 mm	UDT800	1.76	31.18
	UDT700	0.70	6.56
	UD Pitch	0.93	19.08
	3k Cross	0.67	6.91
	12k Cross	0.70	8.17
Eccentricity : 2 mm	UDT800	2.33	41.93
	UDT700	0.84	7.96
	UD Pitch	1.20	22.22
	3k Cross	0.91	8.50
	12k Cross	0.86	8.76

Table 7 Measurement results of roundness

	Material	Roundness [ $\mu\text{m}$ ]
Eccentricity : 1 mm	UDT800	4.85
	UDT700	3.85
	UD Pitch	4.52
	3k Cross	5.03
	12k Cross	5.94
Eccentricity : 2 mm	UDT800	5.11
	UDT700	4.48
	UD Pitch	6.15
	3k Cross	7.32
	12k Cross	9.06

(50mm square, thickness: 5mm) are prepared as experimental workpieces as shown in Table 5. In this case, eccentricity is 1 or 2 mm. The experimental conditions are shown in table 5.

Drilled holes are inspected visually. Figure 15 shows the appearance of drilled holes. Smooth finishing is observed generates no burrs and delaminations on the edge except for UDT800 and 12k Cross. On the other hand, in the case of UDT800 and 12k Cross, burrs are occurred around the hole on both sides. It seems that the fiber filler having high tensile strength is hard to cut off with the normal ball end-mill.

Surface roughness of drilled workpiece is measured. Measured direction is parallel to the axis of the hole and surface roughness parameters are calculated by average of four measured parts of three times trial results. The measuring results indicate that larger

eccentricity made surface roughness worse as shown in table 6.

Table 7 shows the measurement result of roundness. Roundness strongly depends on the trend of surface roughness except for UDT800. And especially, roundness of UDT800 is worst because of the same reason of the fiber filler.

From the experimental result, the developed inclined planetary mechanism drilling system having availability of smooth drilling is demonstrated. In order to improve the drilled holes quality of UDT800 and 12k Cross, a cutting tool coated by diamond CVD or PCD tool as well as suitable drilling conditions for them is required.

## 7. Summary

- In order to improve machinability of orbital drilling, inclined planetary drilling has been established according to the analytical result of the motion of bottom cutting edge of orbital drilling.
- Fundamental drilling experiments that imitate the motion of inclined planetary drilling with a lathe have been carried out.
- Experiment for comparing inclined planetary drilling with orbital drilling is carried out. From the experimental result, the superiority of the inclined planetary drilling is clarified.
- From the experimental result, the developed inclined planetary mechanism drilling system having availability of smoother drilling than the orbital drilling is demonstrated.

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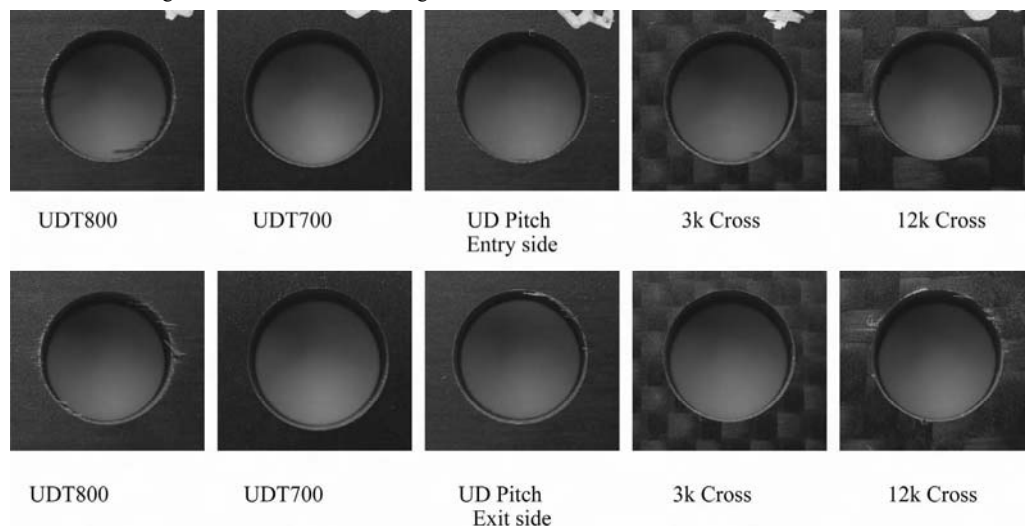


Fig. 15 Appearances of drilled hole by developed inclined planetary mechanism drilling unit